

### Problem 1

Given: housing types and population density  
Wastewater generation rate = 200 Lpcd

Find: Peak wastewater flow rate + Infiltration

### Solution

$$1 \text{ km}^2 = 100 \text{ ha}$$

Hosing types	Area (km <sup>2</sup> )	Population density (person/ha)	Population
A	0.20	30	600
B	0.30	35	1050
C	0.15	50	750
D	0.10	65	650

Total population = 3050 person

Total area = 750 ha

$$Q_{avg.} = 3050 (0.2) = 610 \text{ m}^3/\text{d}$$

$$Q_{max} = P.F. \cdot Q_{avg.}$$

$$P.F. = 1 + \frac{14}{4 + \sqrt{P}} \quad (\text{population in thousands})$$

$$P.F. = 1 + \frac{14}{4 + \sqrt{3.05}} = 3.4$$

$$Q_{max} = 3.4 (610) = 2074 \text{ m}^3/\text{d}$$

To determine peak infiltration, go to figure at page 18,

Assuming new sewers (use curve B)

For an area of 750 ha the peak infiltration = 6 m<sup>3</sup>/ha.d

$$\begin{aligned} \text{Maximum w.w. flow} &= \text{max. daily flow} + \text{max. infiltration} \\ &= 2074 \text{ m}^3/\text{d} + 6 \text{ m}^3/\text{ha.d} (750 \text{ ha}) \\ &= 6574 \text{ m}^3/\text{d} \end{aligned}$$

### Problem 2

Given:  $P = 200,000$  ,  $w.c. = 50,000 \text{ m}^3/\text{d}$   
Steel factory produces 1500 tons of steel per day  
 $w.c.$  of the factory = 40,000 gal/(ton of steel)

Find: - Daily w.c. of the steel factory  
- Compare with the city's requirement

### Solution

Converting: 1 gal = 3.785 L

$$\begin{aligned}\text{Daily w.c. of steel factory, } Q_{\text{avg}} &= 40,000 (1500) \\ &= 6 (10^7) \text{ gal/d} \\ &= 6 (10^7) (3.785/1000) \\ &= 227100 \text{ m}^3/\text{d}\end{aligned}$$

The ratio of the daily use of the factory =  $227100/50000 = 4.54$  more time of the city's requirement

### Problem 3

Given:  $p = 150,000$  capita , w.c. = 200 Lpcd

Find: find the capacity of water distribution system for the city  
 $= Q_{\text{max. daily}} + \text{Fire demand}$

### Solution

The water distribution system (the pipe network) should be designed to provide the larger of:

- The maximum hourly demand
- The maximum daily demand + Fire demand (page 13)

$$Q_{\text{avg.}} = 150,000 (200) = 3(10^7) \text{ L/d} = 30,000 \text{ m}^3/\text{d}$$

$$Q_{\text{max. daily}} = 1.8 (30,000) = 54,000 \text{ m}^3/\text{d}$$

$$Q_{\text{max. hourly}} = 2.7 (30,000) = 81,000 \text{ m}^3/\text{d}$$

$$\begin{aligned}\text{Fire demand, } Q_F (\text{m}^3/\text{day}) &= 320 C \sqrt{A} \quad , A \text{ in m}^2 \\ &\text{Not more than } 32 \text{ m}^3/\text{min} \quad (\text{in general}) \\ &\text{Not more than } 23 \text{ m}^3/\text{min} \quad (\text{for one-story construction})\end{aligned}$$

$$\begin{aligned}\text{Or, } Q_F (\text{m}^3/\text{h}) &= 231.48 \sqrt{p} (1 - 0.01 \sqrt{p}) \quad , p \text{ in thousands} \\ &\text{Not more than } 1500 \text{ m}^3/\text{hr} \quad (\text{page 13})\end{aligned}$$

$$\begin{aligned}\text{Fire demand, } Q_F (\text{m}^3/\text{h}) &= 231.48 \sqrt{150} (1 - 0.01 \sqrt{150}) \\ &= 2489 \text{ m}^3/\text{hr} > 1500 \text{ m}^3/\text{hr} \\ \text{Select } &1500 \text{ m}^3/\text{hr}\end{aligned}$$

Fire duration = 10 hr (for a day) (from table 2-4)

$$\begin{aligned}\text{The capacity of the city} &= 54,000 \text{ (m}^3\text{/d)} + 1500 \text{ (m}^3\text{/hr)} * 10 \text{ (hr/d)} \\ &= 69,000 \text{ m}^3\text{/d} < Q_{\text{max hourly}} (81,000 \text{ m}^3\text{/d})\end{aligned}$$

The design capacity for the city = 81,000 m<sup>3</sup>/d