

# GE 403

# Engineering Economy

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**Ex.1** DuraTech Manufacturing is evaluating a process improvement project. The estimated receipts and disbursements associated with the project are shown below. MARR is 10 percent/year. Should DuraTech implement the proposed process improvement **based on future worth**?

EOY	0	1	2	3	4	5
Receipts	\$0	\$600	\$600	\$700	\$700	\$700
Disbursements	\$1000	\$300	\$300	\$300	\$300	\$300

### Solution

$$F_w = -1000 (F/P 10\%, 5) + 300 (F/A 10\%, 5) + 100 (F/A 10\%, 3)$$

$$F_w = -1000(1.61051) + 300(6.10510) + 100 (3.31) = \mathbf{\$552.02}$$

Since **Fw > 0**, the proposed process improvement should be implemented.

**Ex.2** DuraTech Manufacturing is evaluating a process improvement project. The estimated receipts and disbursements associated with the project are shown below. MARR is 10 percent/year. Should DuraTech implement the proposed process improvement **based on annual worth**?

EOY	0	1	2	3	4	5
Receipts	\$0	\$600	\$600	\$700	\$700	\$700
Disbursements	\$1,000	\$300	\$300	\$300	\$300	\$300

### Solution

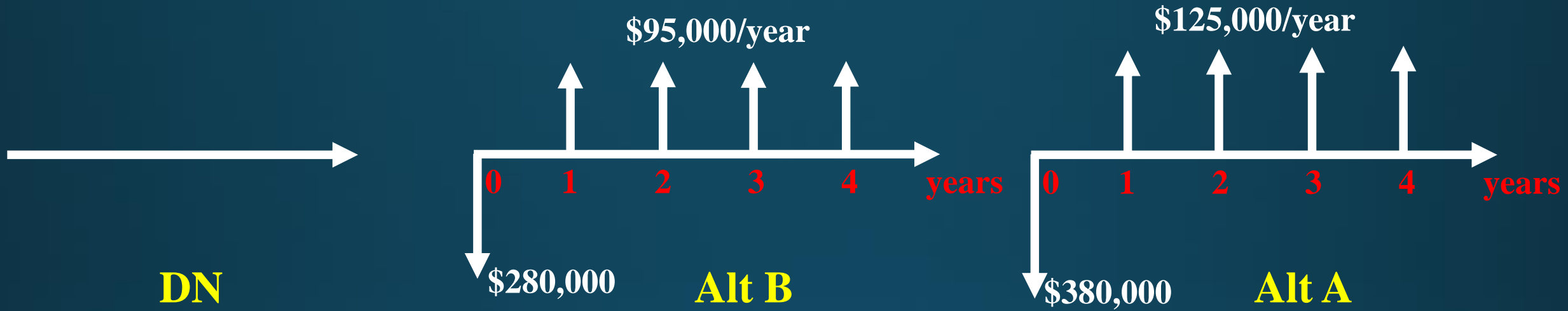
$$A_w = -1,000(A/P\ 10\%,\ 5) + 300 + 100(F/A\ 10\%,\ 3)(A/F\ 10\%,\ 5)$$

$$A_w = -1000(0.26380) + 300 + 100(3.31)(0.16380) = \mathbf{\$90.42}$$

Since  **$A_w > 0$** , the proposed process improvement should be implemented.

**Ex.3** The engineering team at a company is planning to purchase an enterprise resource planning (ERP) system. The software and installation from Vendor **A** costs **\$380,000** initially and is expected to increase revenue **\$125,000** per year every year. The software and installation from Vendor **B** costs **\$280,000** and is expected to increase revenue **\$95,000** per year. The company uses a 4-year planning horizon and a 10 percent per year MARR. (The “do nothing” alternative is feasible and assumed to have a Pw of \$0.) Which ERP system should be purchased based on ranking and incremental future worth analyses?

## Solution



## Ranking Approach

$$Fw)_{\text{DN}} = \$0$$

$$Fw)_{\text{B}} = -280,000(\text{F/P } 10\%, 4) + 95,000(\text{F/A } 10\%, 4) = \$30,947.63$$

$$Fw)_{\text{A}} = -380,000(\text{F/P } 10\%, 4) + 125,000(\text{F/A } 10\%, 4) = \$23,767.83$$



# Solution

## Incremental Approach

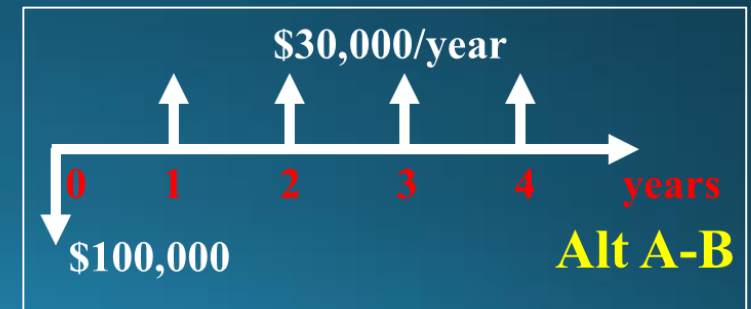
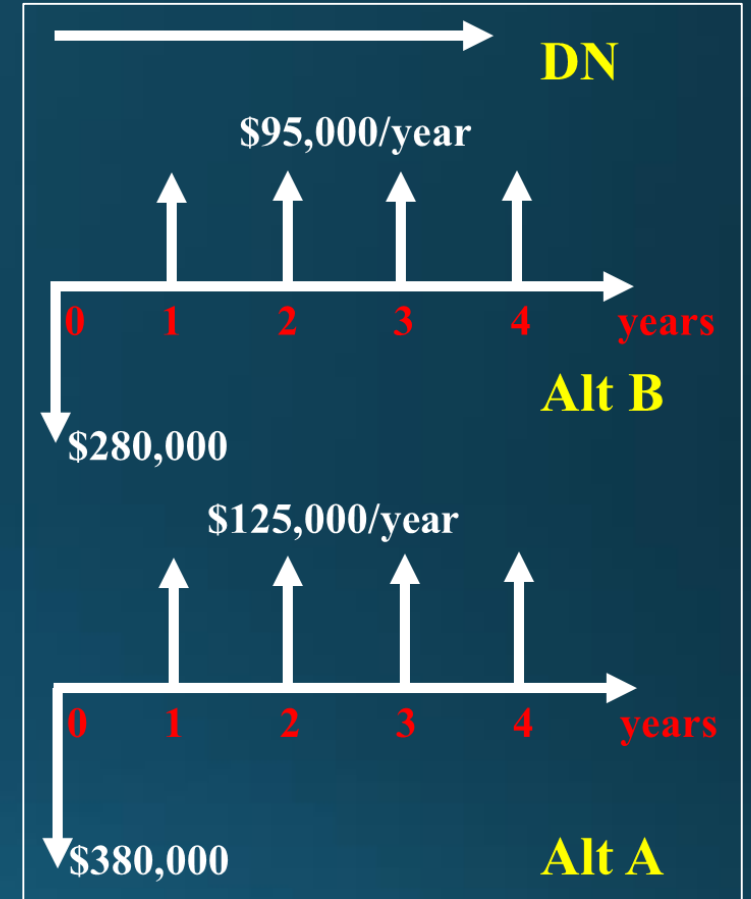
- Order alternatives from lowest to highest initial investment
- Determine incremental cash flows between alternatives
- Calculate **Fw** on incremental cash flows

$$Fw)_{\mathbf{B-DN}} = -280,000(F/P\ 10\% \cdot 4) + 95,000(F/A\ 10\%,\ 4) = \mathbf{\$30,947.63}$$

$Fw > \$0$ , therefore B is better than doing nothing

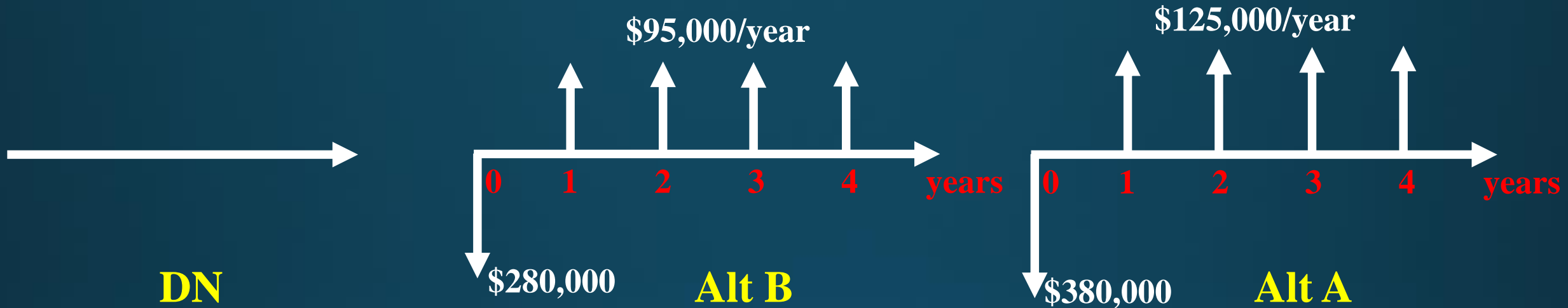
$$Fw)_{\mathbf{A-B}} = -100,000(F/P\ 10\% \cdot 4) + 30,000(F/A\ 10\%,\ 4) = \mathbf{-\$7179.8}$$

$Fw < \$0$ , therefore B is better than A



**Ex.4** The engineering team at a company is planning to purchase an enterprise resource planning (ERP) system. The software and installation from Vendor **A** costs **\$380,000** initially and is expected to increase revenue **\$125,000** per year every year. The software and installation from Vendor **B** costs **\$280,000** and is expected to increase revenue **\$95,000** per year. The company uses a 4-year planning horizon and a 10 percent per year MARR. (The “do nothing” alternative is feasible and assumed to have a Pw of \$0.) Which ERP system should be purchased based on ranking and incremental annual worth analyses?

## Solution



## Ranking Approach

$$Aw)_{\text{DN}} = \$0$$

$$Aw)_{\text{B}} = -280,000(A/P\ 10\%,\ 4) + 95,000 = \$6,668.4 \quad \leftarrow$$

$$Aw)_{\text{A}} = -380,000(A/P\ 10\%,\ 4) + 125,000 = \$5,121.4$$



# Solution

## Incremental Approach

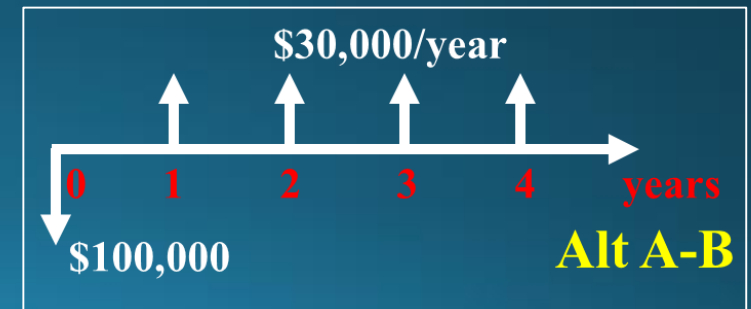
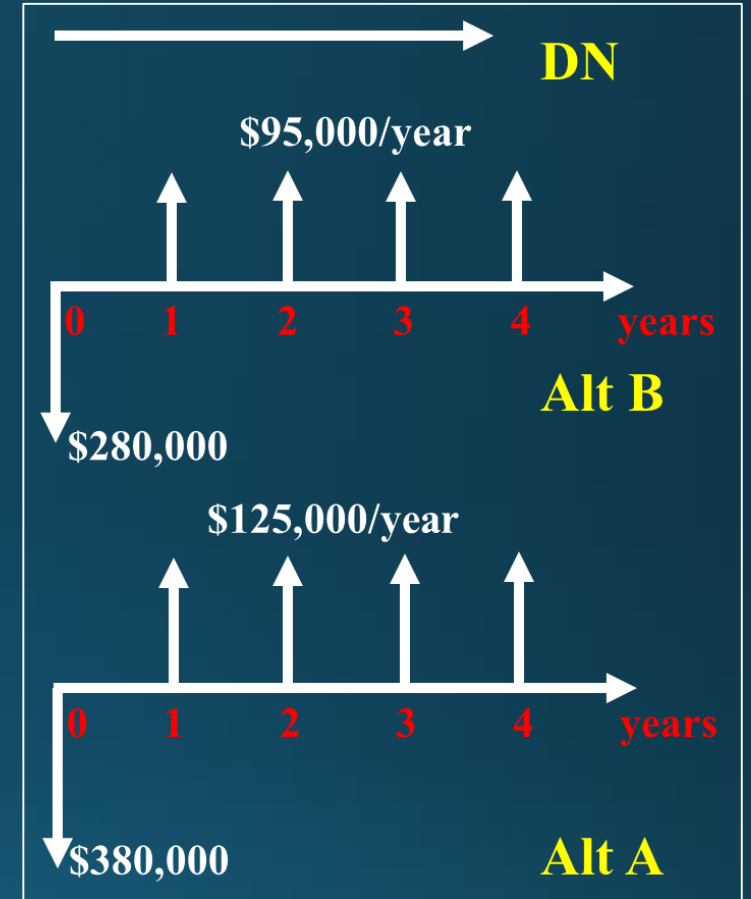
- Order alternatives from lowest to highest initial investment
- Determine incremental cash flows between alternatives
- Calculate **Aw** on incremental cash flows

$$Aw)_{\mathbf{B-DN}} = -280,000(A/P\ 10\% \cdot 4) + 95,000 = \$6,668.4$$

**Aw > \$0**, therefore B is better than doing nothing

$$Aw)_{\mathbf{A-B}} = -100,000 (A/P\ 10\% \cdot 4) + 30,000 = -\$1547$$

**Aw < \$0**, therefore B is better than A



**Ex.5** The expected cash flows for two ovens are shown below. What are the capital recovery costs of these alternatives using a MARR of 8 percent/year.

	Alt. A	Alt. B
Initial Investment	\$50,000	\$80,000
Estimated Life	10	5
End of Life Salvage	\$10,000	\$0
Annual Income	\$19,400	\$26,000
Annual Expense	\$10,000	\$6,000

## Solution

### Capital Recovery Cost Formulas

$$CR = P(A|P i\%, n) - F(A|F i\%, n)$$

$$CR = (P-F)(A|F i\%, n) + Pi$$

$$CR = (P-F)(A|P i\%, n) + Fi$$

**Alt. A**       $P = \$50,000$      $F = \$10,000$     Useful life = 10 yrs.    MARR = 8%

$$CR = \$50,000(A/P, 8\%, 10) - \$10,000(A/F, 8\%, 10)$$

$$CR = \$50,000(0.14903) - \$10,000(0.06903) = \mathbf{\$6,761.2}$$

**Alt. B**       $P = \$80,000$      $F = \$0$     Useful life = 5 yrs.    MARR = 8%

$$CR = \$80,000(A/P, 8\%, 5) - \$0(A/F, 8\%, 5)$$

$$CR = \$80,000(0.25046) = \mathbf{\$20,036.8}$$

**Ex.6** Consider the net cash flows (NCF) and salvage values (SV) shown below. Assume the alternatives can be indefinitely renewed with the same cash flows and salvage values. Using a MARR 8% per year, determine **AW** of each alternative based on **a)** LCM of lives approach, **b)** their “natural” lives and **c)** assume both alternatives are one shot investments.

	Alt. A		Alt. B	
EOY	NCF	SV	NCF	SV
0	-\$100	\$100	-\$70	\$70
1	\$50	\$40	\$30	\$60
2	\$50	\$20	\$40	\$50
3	\$40	\$10		
4	\$60	\$5		

## Solution

a) LCM of lives approach  $t = 4$

EOY	0	1	2	3	4
Alt. A	-\$100	\$50	\$50	\$40	\$60+\$5
Alt. B	-\$70	\$30	\$40+\$50-\$70	\$30	\$40+\$50

$$\begin{aligned}Aw_A &= [-100 + 50(P/A 8\%, 2) + 400 (P/F 8\%, 3) + 65(P/F 8\%, 4)](A/P 8\%, 4) \\ &= [-100 + 50(1.78326) + 400 (0.79383) + 65(0.73503)](0.30192) \\ &= \$107.02\end{aligned}$$

$$\begin{aligned}Aw_B &= [-70 + 30(P/F 8\%, 1) + 20(P/F 8\%, 2) + 30(P/F 8\%, 3) + 90(P/F 8\%, 4)](A/P 8\%, 4) \\ &= [-70 + 30(0.92593) + 20(0.85734) + 30(0.79383) + 90(0.73503)](0.30192) \\ &= \$19.6\end{aligned}$$

$Aw_A > Aw_B$ , therefore Alt. A is better than Alt. B

## Solution

**b)** Natural life (t = 4 for Alt. A, t = 2 for Alt. B)

EOY	0	1	2	3	4
Alt. A	-\$100	\$50	\$50	\$40	\$60+\$5
Alt. B	-\$70	\$30	\$40+\$50		

$$\begin{aligned}Aw_A &= [-100 + 50(P/A\ 8\%,\ 2) + 400(P/F\ 8\%,\ 3) + 65(P/F\ 8\%,\ 4)](A/P\ 8\%,\ 4) \\ &= [-100 + 50(1.78326) + 400(0.79383) + 65(0.73503)](0.30192) \\ &= \$107.02\end{aligned}$$

$$\begin{aligned}Aw_B &= [-70 + 30(P/F\ 8\%,\ 1) + 90(P/F\ 8\%,\ 2)](A/P\ 8\%,\ 2) \\ &= [-70 + 30(0.92593) + 90(0.85734)](0.56077) \\ &= \$19.6\end{aligned}$$

$Aw_A > Aw_B$ , therefore Alt. A is better than Alt. B

## Solution

c) Alternatives are one shot investment  $t = 4$

EOY	0	1	2	3	4
Alt. A	-\$100	\$50	\$50	\$40	\$60+\$5
Alt. B	-\$70	\$30	\$40+\$50	\$0	\$0

$$\begin{aligned}Aw_A &= [-100 + 50(P/A\ 8\%,\ 2) + 400(P/F\ 8\%,\ 3) + 65(P/F\ 8\%,\ 4)](A/P\ 8\%,\ 4) \\ &= [-100 + 50(1.78326) + 400(0.79383) + 65(0.73503)](0.30192) \\ &= \$107.02\end{aligned}$$

$$\begin{aligned}Aw_B &= [-70 + 30(P/F\ 8\%,\ 1) + 90(P/F\ 8\%,\ 2)](A/P\ 8\%,\ 4) \\ &= [-70 + 30(0.92593) + 90(0.85734)](0.30192) \\ &= \$10.55\end{aligned}$$

$Aw_A > Aw_B$ , therefore Alt. A is better than Alt. B