

## Simple Pendulum (البندول البسيط)

Room No: 1A42

**Objective:** To determine the acceleration due to gravity (g) by the Simple Pendulum.

### Formula Used:

For small amplitudes the period of a simple pendulum depends only on its length and the value of the acceleration due to gravity

$$T = 2\pi \sqrt{L/g}$$

Where

T – Time period

L – Length of thread

g – Acceleration due to gravity

Making Square

$$T^2 = \frac{4\pi^2}{g} L$$

Compare with  $y = mx$  we get  $\text{Slope} = \frac{4\pi^2}{g}$

So,

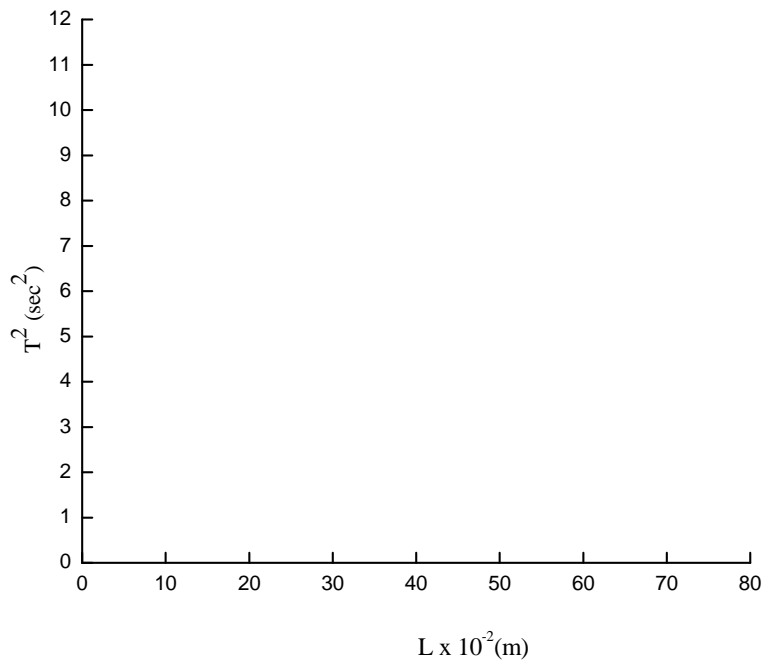
$$g = \frac{4\pi^2}{\text{Slope}}$$

### Observation table

$L \times 10^{-2}$ (m) <b>X-axis</b>	$t_1$ (sec) for 10 Osc.	$t_2$ (Sec) for 10 Osc.	$t_3$ (Sec) for 10 Osc.	$\bar{t}$ (Sec)	$T = \frac{\bar{t}}{10}$ (Sec)	$T^2$ (sec <sup>2</sup> ) <b>Y-axis</b>
40						
50						
60						
70						
80						

## Graph

**X-axis:** 1cm=10 (m)  
**Y-axis:** 1cm=1 (sec<sup>2</sup>)



$$\text{Slope} = \frac{(y_2 - y_1)}{(x_2 - x_1) \times 10^{-2}} = \dots\dots\dots$$

## Result

So, the experimental value of g will be

$$g' = \frac{4f^2}{\text{Slope}} = \frac{4f^2}{\dots\dots\dots} = \dots\dots\dots \text{ (m/s}^2\text{)}$$

$g = 9.8 \text{ (m/s}^2\text{)}$  Theoretical value

## Percentage Error

$$\% \text{ error} = \frac{|g - g'|}{g} \times 100 = \frac{|9.8 - \dots\dots\dots|}{9.8} \times 100 = \dots\dots\dots\%$$

## Planck's constant ( )

Room No: 1A44

**Objective:** To determine the value of Planck's constant (h).

### Formula Used:

Total energy of photons

$$E = K.E. + W_0$$

$$h f = e V_s + W_0$$

Cut off voltage/Stopping voltage

$$V_s = \frac{h}{e} \cdot f - \frac{W_0}{e}$$

Where

$f = c/\lambda$  = frequency of light (Hz) or  $\text{sec}^{-1}$

c – Speed of light =  $3 \times 10^8$  m/s

e – Charge of electron =  $1.6 \times 10^{-19}$  C

$\lambda$  – Wavelength of different light

Compare with  $y = m x + c$

$$\text{Slope} = h/e$$

So,

$$h = e \times \text{Slope}$$

### Observation table

Color	$\lambda \times 10^{-9}$ (m)	$f = (c/\lambda) \times 10^{14}$ (Hz) <b>X-axis</b>	$V_s$ (V) (n=1)	$V_s$ (V) (n=2)	$\overline{V_s}$ (Volts) <b>Y-axis</b>
Yellow	578.00				
Green	546.07				
Blue	435.84				
Purple1	404.66				
Purple2	365.48				

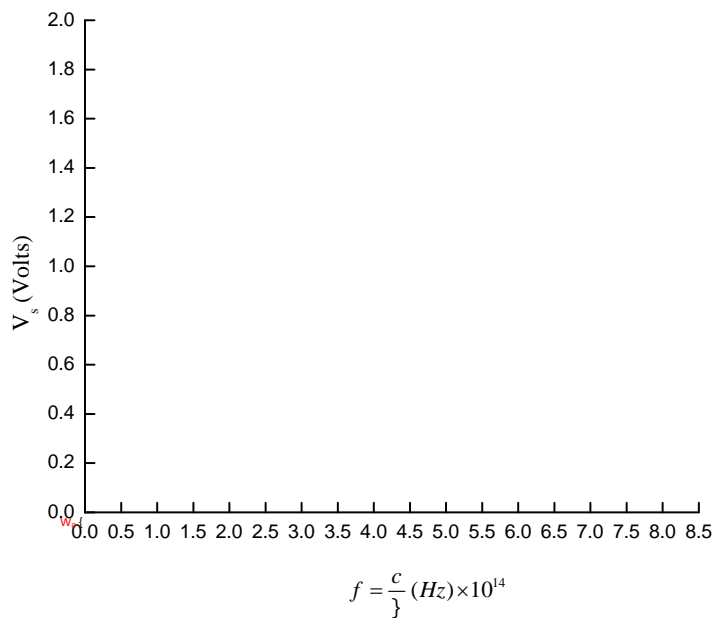
**Note:**

- (1) Use dark room.
- (2) Use filters only for Yellow and Green light.
- (3) Put the multimeter at 2V DC & switch on the h/e apparatus.

**Graph**

**X-axis:** 1cm=0.5 x 10<sup>14</sup> (Hz)

**Y-axis:** 1cm=0.2 (Volts)



$$\text{Slope} = \frac{(y_2 - y_1)}{(x_2 - x_1) \times 10^{14}} = (\dots\dots\dots) \times 10^{-14}$$

**Result**

Experimental value of Planck's constant

$$h' = e \times \text{Slope} = 1.6 \times 10^{-19} \times \dots\dots\dots = \dots\dots\dots (J.s)$$

Theoretical value of Planck's constant ( $h$ ) is **6.626 x 10<sup>-34</sup> J.s**

**Percentage Error**

$$\% \text{ error} = \frac{|h - h'|}{h} \times 100 = \frac{|6.626 - \dots\dots\dots|}{6.626} \times 100 = \dots\dots\dots \%$$

## Ohm's Law ( )

Room No:1A45

**Objective:** To verify the Ohm's law for series and parallel connections.

### 1. Ohm's Law

[For  $R_1=2 \quad$  ]

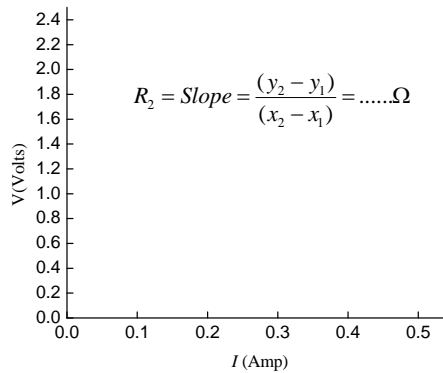
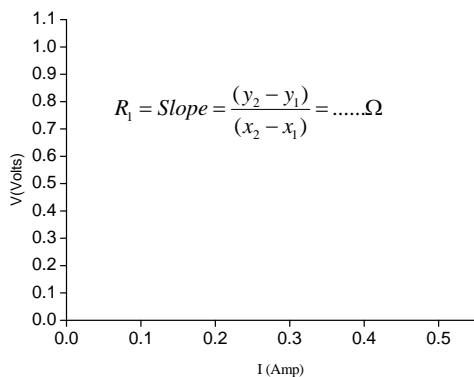
[For  $R_2=5 \quad$  ]

<b>I (Amp)</b> <b>x-axis</b>	<b>V (Volts)</b> <b>y-axis</b>	<b><math>R_1= V/I</math> ( )</b>
0.1		
0.2		
0.3		
0.4		
0.5		

<b>I (Amp)</b> <b>x-axis</b>	<b>V (Volts)</b> <b>y-axis</b>	<b><math>R_2= V/I</math> ( )</b>
0.1		
0.2		
0.3		
0.4		
0.5		

$$\overline{R_1} = \frac{\sum R_1}{5} = \frac{\dots\dots\dots}{5} = \dots\dots\dots \Omega$$

$$\overline{R_2} = \frac{\sum R_2}{5} = \frac{\dots\dots\dots}{5} = \dots\dots\dots \Omega$$



**Note:** Plot graph only for this section.

## 2. Resistance in series connection

I (Amp)	V (Volts)	$R_s = V/I$ ( )
0.1		
0.2		
0.3		

From experiment  $\overline{R_s} = \frac{\sum R_s}{3} = \dots\dots\dots \Omega$

In series connection  $R_s = R_1 + R_2 = \dots\dots\dots + \dots\dots\dots = \dots\dots\dots \Omega$

## 3. Resistance in parallel connection

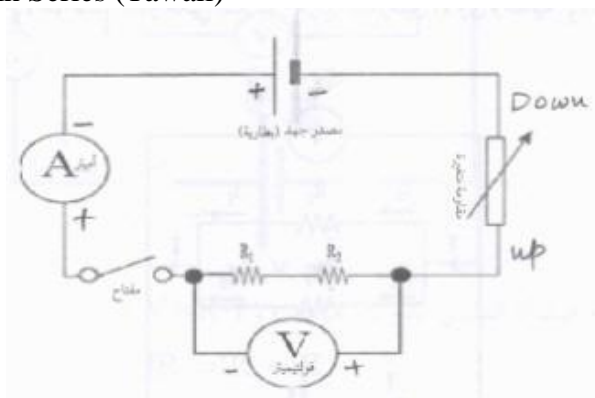
I (Amp)	V (Volts)	$R_p = V/I$ ( )
0.1		
0.2		
0.3		

From experiment  $\overline{R_p} = \frac{\sum R_p}{3} = \dots\dots\dots \Omega$

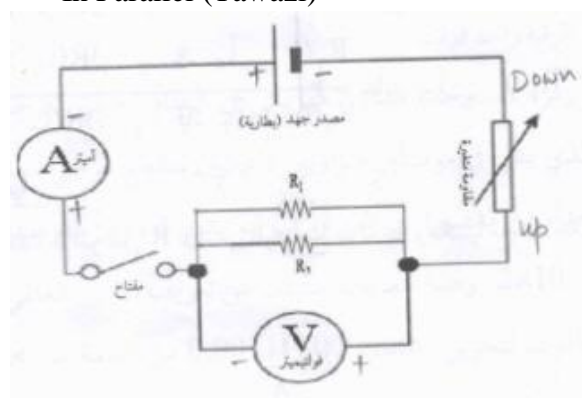
In parallel connection  $R_p = \frac{R_1 R_2}{R_1 + R_2} = \frac{\dots\dots\dots}{\dots\dots\dots} = \dots\dots\dots \Omega$

## Circuit Diagrams

In Series (Tawali)



In Parallel (Tawazi)



**Result:** Ohm's law verified.

## Absorption Coefficient of $\gamma$ - rays ( )

Room No:1A46

**Objective:** To determine the absorption coefficient of  $\gamma$  - rays ( $\mu$ ).

### Formula Used:

When a gamma ray passes through matter, the probability for absorption is proportional to the thickness of the layer, the density of the material, and the absorption cross section of the material. The total absorption shows an exponential decrease of intensity with distance from the incident surface:

$$I_c = I_{oc} e^{-\mu x}$$

$$\ln\left(\frac{I_{oc}}{I_c}\right) = \mu x$$

Compare with  $y = m x$

$\mu = \text{Slope}$
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where,  $x$  is the distance from the incident surface

$\mu = n$  is the absorption coefficient, measured in  $\text{cm}^{-1}$

### Steps

(1) Background intensity [Put the Al sheet in the 2<sup>nd</sup> last row]

$$\overline{I_{BG}} = \frac{I_{BG1} + I_{BG2} + I_{BG3} + \dots}{3} = \dots (C / \text{min})$$

(2) Original intensity [Put Pb source in the last row]

$$\overline{I_o} = \frac{I_{o1} + I_{o2} + I_{o3} + \dots}{3} = \dots (C / \text{min})$$

Source intensity without background

$$I_{oc} = \overline{I_o} - \overline{I_{BG}} = \dots - \dots = \dots (C / \text{min})$$

(3) Put Cobalt black slice 2 at a time above the Pb & Al sheet and note down  $I_1$ ,  $I_2$  &  $I_3$  for observation table.

### Observation table

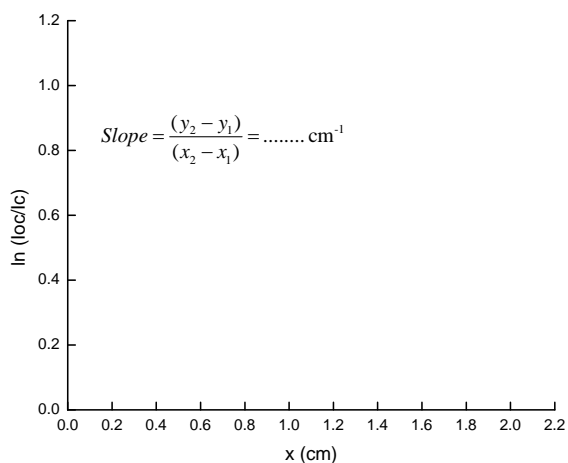
No of Slice	$x$ (cm) <b>X- axis</b>	$I_1$ (C/min)	$I_2$ (C/min)	$I_3$ (C/min)	$\bar{I}$ (C/min)	$I_c = \bar{I} - I_{BG}$	$\frac{I_{oc}}{I_c}$	$\ln \left( \frac{I_{oc}}{I_c} \right)$ <b>Y-axis</b>
2	0.4							
4	0.8							
6	1.2							
8	1.6							
10	2.0							

### Note:

- (1) Set the Time 60 Sec.
- (2) H.V. = 500 V
- (3) Press H.V.
- (4) Press count.
- (5) Each Cobalt sheet has a thickness 0.2 cm.

### Graph

**X-axis:** 1cm=0.2 (cm)  
**Y-axis:** 1cm=0.2



### Result

Apply this formula for absorption coefficient of Gamma-rays:

$$\sim = Slope = \dots\dots\dots (\text{cm}^{-1})$$

**Note:** Press H.V. down to zero then switch off the machine. Don't switch off directly.



## Capacitors (المكثفات)

Room No: 1B8

**Objective:** To determine the time constant (t) by charging of a capacitor.

### Formula Used:

Equation for charging of a capacitor

$$V = V_0(1 - e^{-t/RC})$$

where

t – Time constant

R – Resistance = 1 M

C – Capacitance = 100  $\mu$ F

When  $t = RC$

$$V = V_0(1 - e^{-1})$$

$V = 0.63 V_0$

The theoretical value of time constant

$$t = RC = 1 \text{ M} \times 100 \mu\text{F} = 1 \times 10^6 \times 100 \times 10^{-6} = \mathbf{100 \text{ Sec}}$$

### Observation table

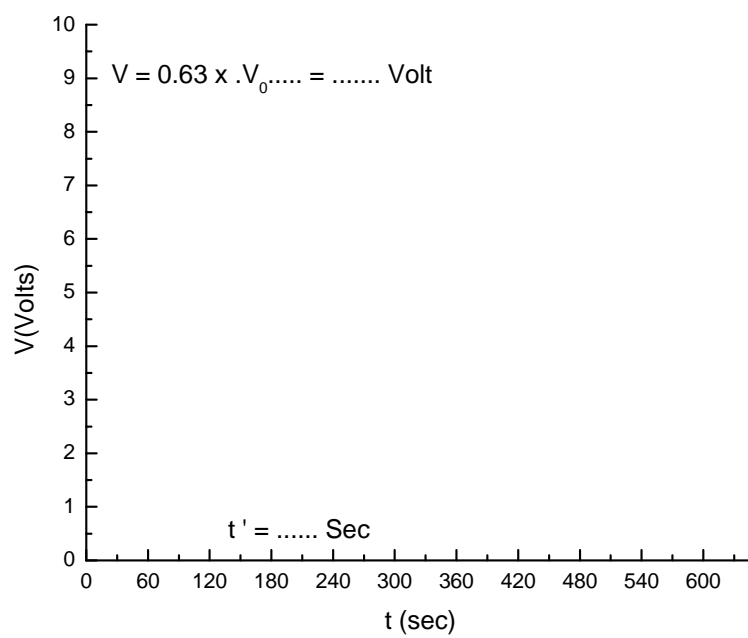
t (Sec) <b>x-axis</b>	V (Volts) <b>y<sub>1</sub>-axis</b> <b>(Graph-1)</b>	$\ln\left(\frac{V_0}{V_0 - V}\right)$ <b>y<sub>2</sub>-axis</b> <b>(Graph-2)</b>
0		
30		
60		
90		
120		
150		
180		
210		

240		
270		
300		
330		
360		
390		
420		
450		
480		
510		
540		
570		
600	..... = $V_0$	

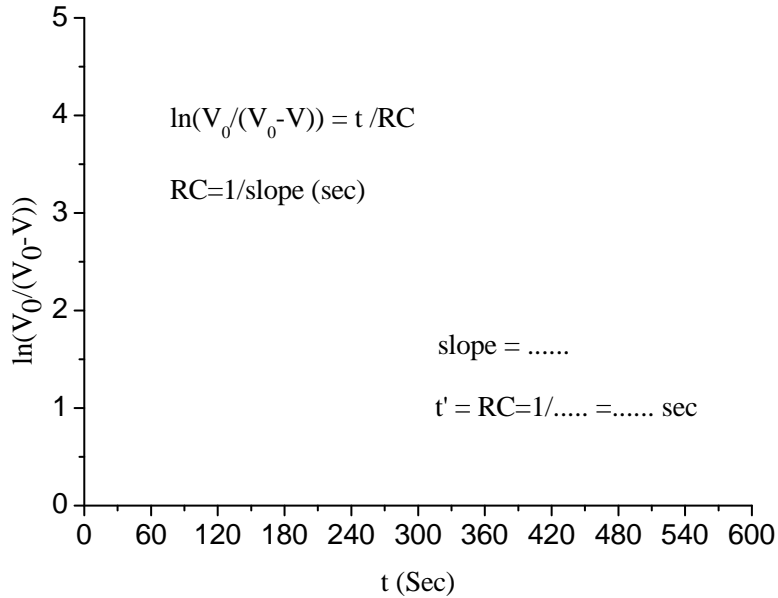
### Graph

**X-axis:** 1cm=60 (sec)

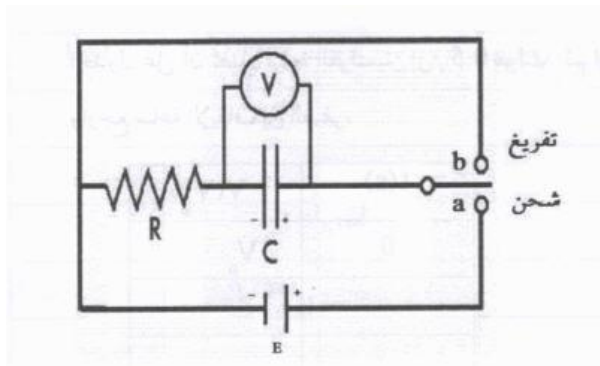
**Y-axis:** 1cm=1 (Volts)



**X-axis:** 1cm=60 (sec)  
**Y-axis:** 1cm=1



### Circuit diagram



### Note:

- (1) First discharge the capacitor, if showing any voltage.
- (2) Switch on green button & Voltmeter power button simultaneously (without stopping note down the  $t$  and  $V$ ).
- (3) Put on the voltmeter dc at 10 V.
- (4) For  $Y_1$ -axis, divide the Multi-meter voltage by 10.

**Result:** We have found the time constant ( $t'$ ) = .....Sec for graph1 & ( $t'$ ) = .....Sec for graph2.

## Prism (      )

Room No: 1B1

**Objective:** To determine the refractive index ( $n$ ) of a given prism.

### Formula Used:

The refractive index ( $n$ ) of a prism is described as

$$n = \frac{\sin\left(\frac{A + D_m}{2}\right)}{\sin\left(\frac{A}{2}\right)}$$

Where,

$A$  = angle of prism ( $60^\circ$ )

$D_m$  = minima of angle of deviation

### Observation table

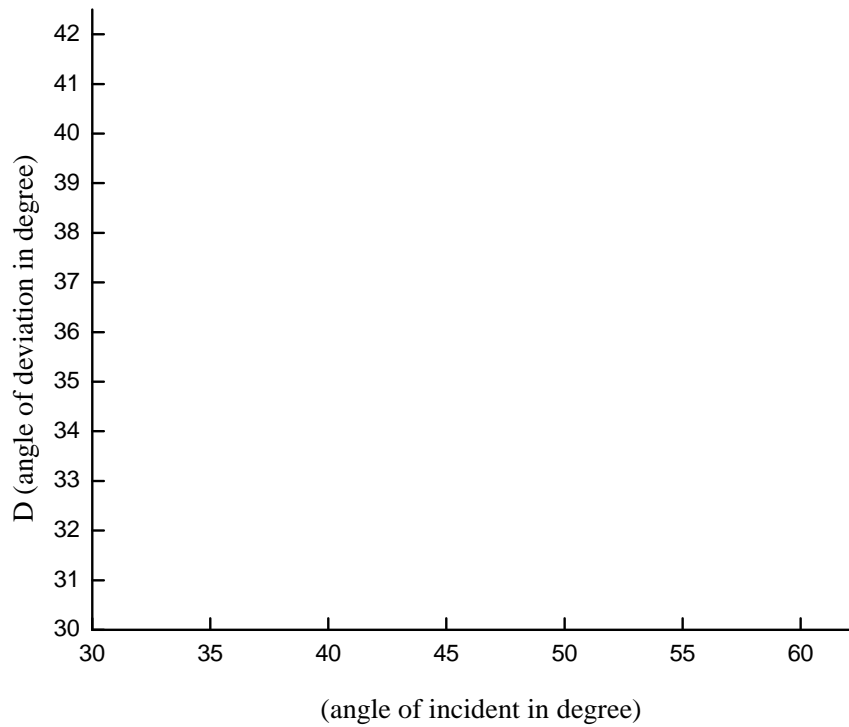
(angle of incident in degree) <b>x-axis</b>	D (angle of deviation in degree) <b>y-axis</b>
35	
40	
45	
50	
55	
60	

## Measuring $\mu$ & D (in plain paper 6 times)

### Graph

**X-axis:** 1 cm = 5 (degree)

**Y-axis:** 1 cm = 1 (degree)



### Result

The refractive index ( $n$ ) of a prism is found to be

$$n = \frac{\sin\left(\frac{A + D_m}{2}\right)}{\sin\left(\frac{A}{2}\right)} = \frac{\sin\left(\frac{60 + \dots}{2}\right)}{\sin\left(\frac{60}{2}\right)} = \dots$$

## Potentiometer (Muqarinah) PHY-104

Room No: 1B20

**Objective:** To compare the e.m.f. of potentiometer.

**Formula Used:**

In the balance position

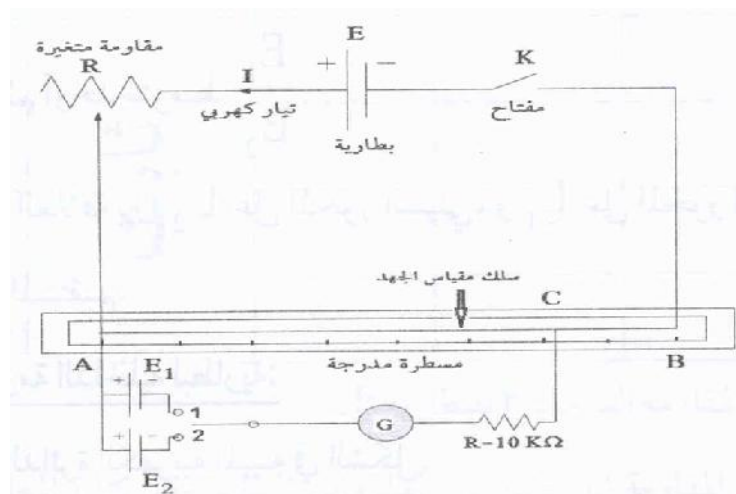
$$\frac{E_1}{E_2} = \frac{L_1}{L_2}$$

where,  
E<sub>1</sub> – emf of first cell  
E<sub>2</sub> – emf of second cell  
L<sub>1</sub> – Length upto null point (when key is on right side)  
L<sub>2</sub> – Second length upto null point (when key is on left side)

**Observation table**

S. No.	L <sub>1</sub> (cm)	L <sub>2</sub> (cm)	$\frac{E_1}{E_2} = \frac{L_1}{L_2}$	Avg of $E_1/E_2$
1				
2				
3				
4				
5				

**Circuit diagram**



**Result**

The average value of E<sub>1</sub>/E<sub>2</sub> is .....

## Meter-bridge (Qantarah) PHY-104

Room No: 1B18

**Objective:** To determine the resistivity of wire ( ) by meter-bridge.

**Formula Used:**

In the balance position

$$\frac{R_w}{L_1} = \frac{R_B}{L_2}$$

$$R_w = \frac{R_B L_1}{L_2}$$

where,

$R_w$  – Resistance of unknown wire

$R_B$  – Resistance of resistance box

$L_1$  – Length from C to D

$L_2$  – Length from D to A

**Observation table**

$R_B$ ( )	$L_1$ (cm)	$L_2$ (cm) (100- $L_1$ )	$R_w = \frac{R_B L_1}{L_2}$ ( )	Avg of $R_w$
1				
2				
3				
4				
5				

Resistance of wire can be defined as

$$R_w = \dots \frac{L}{A}$$

So, the resistivity of wire

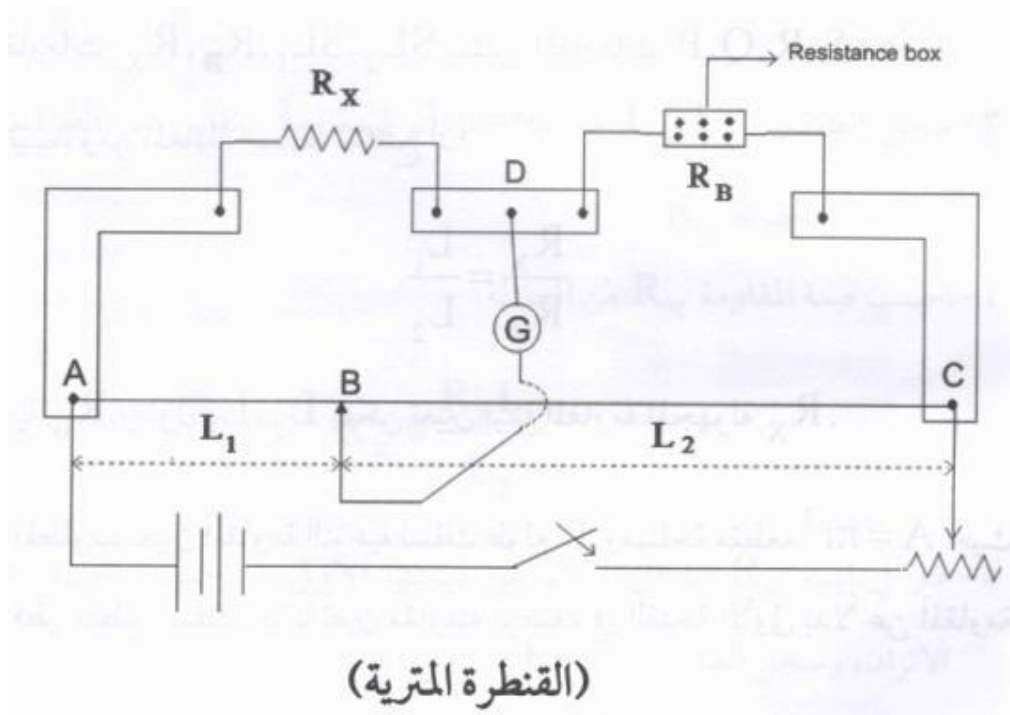
$$\dots = R_w \frac{A}{L}$$

Let L = length of wire = ..... m

Radius of wire  $r = d/2 = 0.7/2 \text{ mm} = \mathbf{0.35 \times 10^{-3} \text{ m}}$

Then Cross-section Area of wire  $A = \pi r^2 = (3.14) (0.35 \times 10^{-3})^2 = \mathbf{0.38465 \times 10^{-6} \text{ m}^2}$

### Circuit Diagram



### Result

Therefore, resistivity of unknown wire (substitute all the values)

$$\dots = R_w \frac{A}{L} = \dots (\Omega \cdot m)$$



## Lens (العدسات)

Room No: 1B16

**Objective:** To determine the focal length and power of given lens.

**Formula Used:**

$$\frac{1}{f} = \frac{1}{S} + \frac{1}{S'} \Rightarrow f = \left( \frac{S \cdot S'}{S + S'} \right) (cm)$$

$$P = \frac{1}{f(m)} = \frac{100}{f(cm)}$$

**Method Used**

(1)

$$S(\text{Object}) = \quad , S'(\text{Image}) = f = x_2 - x_1 = \dots - \dots = \dots \text{ cm}$$

$$P = \frac{100}{f} = \frac{100}{\dots} = \dots \text{ cm}^{-1}$$

(2)

$$S(\text{Object}) = f \Rightarrow S'(\text{Image}) = \quad \Rightarrow S'' = f = x_2 - x_1 = \dots - \dots = \dots \text{ cm}$$

$$P = \frac{100}{f} = \frac{100}{\dots} = \dots \text{ cm}^{-1}$$

(3) Shift lens 5 cm each time (S) and S' will also shift.

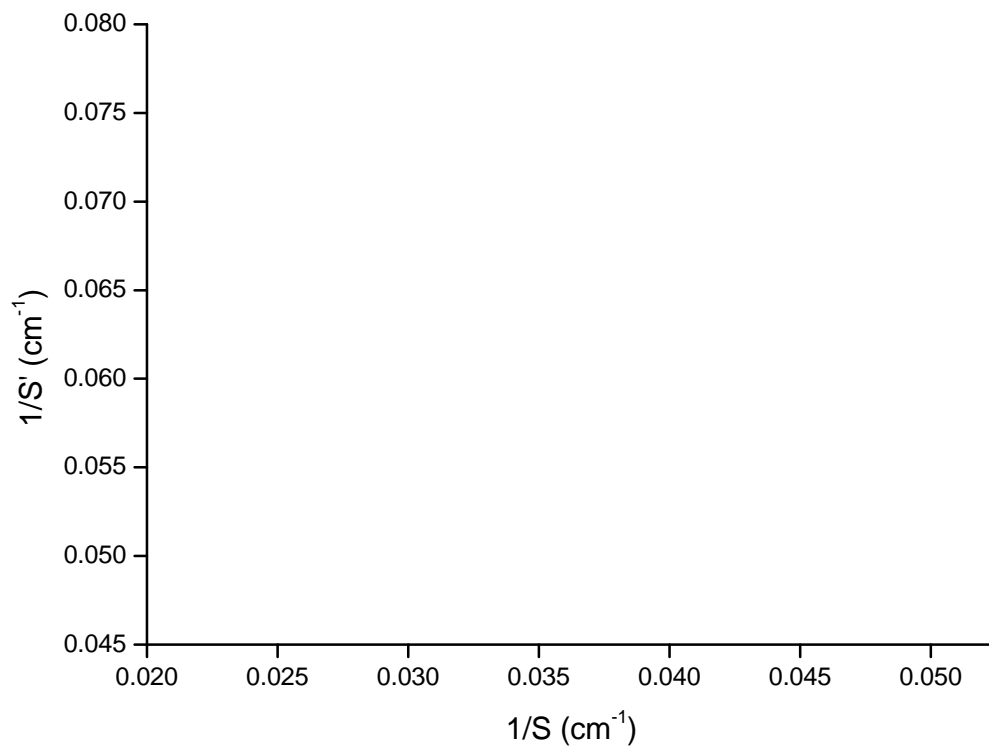
**Observation table**

S (cm)	S' (cm)	1/S (cm <sup>-1</sup> ) x-axis	1/S' (cm <sup>-1</sup> ) y-axis	$f = \left( \frac{S \cdot S'}{S + S'} \right) (cm)$	$\bar{f} (cm)$
20					
25					
30					
35					
40					

## Graph

**X-axis:** 1cm=0.005 (cm<sup>-1</sup>)

**Y-axis:** 1cm=0.005 (cm<sup>-1</sup>)



$$f = \frac{2}{x + y} = \frac{2}{\dots\dots + \dots\dots} = \dots\dots \text{ cm}$$

$$P = \frac{100}{f} = \frac{100}{\dots\dots} = \dots\dots \text{ cm}^{-1}$$

## Result

P (cm <sup>-1</sup> )	f (cm)	Methods
		(1)
		(2)
		(3)

## Rydberg Constant (PHY-104)

Room No: 1B14

**Objective:** To determine the Rydberg constant ( $R_H$ ).

**Formula Used:**

Rydberg's formula is given by

$$\frac{1}{\lambda} = R_H \left( \frac{1}{p^2} - \frac{1}{n^2} \right)$$

where

$p$  – Quantum number associated with the initial stage.

$n$  – Quantum number associated with the final stage.

$\lambda = a \cdot \sin \theta$  = Wavelength of series

For  $p = 2$

$$\frac{1}{\lambda} = R_H \left( \frac{1}{2^2} - \frac{1}{n^2} \right)$$

So,  $R_H = \frac{1}{\lambda} \left( \frac{4n^2}{n^2 - 4} \right)$

**Observation table**

Colour	$n$	$1/n^2$ (x-axis)	$d=D/2$ (cm)	$\theta = \tan^{-1} \left( \frac{d}{f_3} \right)$	$\lambda = a \sin \theta$	$1/\lambda \times 10^6$ (y-axis)
Red	3	0.11				
Blue	4	0.0625				
Voilet	5	0.04				

1 mm = 600 lines

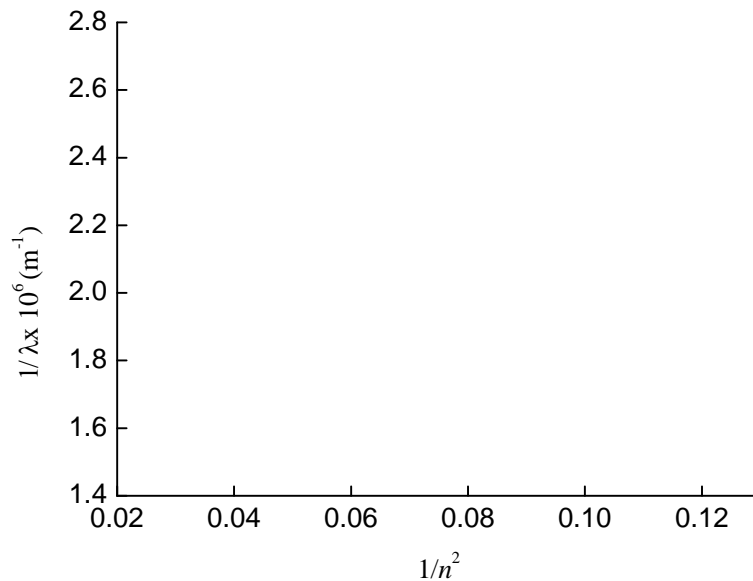
1 m =  $6 \times 10^5$  lines

$f_3 = 10$  (cm) = last lens near to the screen

$$a = \frac{1}{6 \times 10^5} = 1.67 \times 10^{-6} (m)$$

## Graph

**X-axis:** 1cm=0.02  
**Y-axis:** 1cm=0.2 (m<sup>-1</sup>)



$$\text{Slope} = \frac{(y_2 - y_1) \times 10^6}{(x_2 - x_1)} = -(\dots\dots\dots)$$

## Result

So, the experimental value of  $R'_H$  will be

$$R'_H = -\text{Slope} = -(-\dots\dots\dots) = \dots\dots\dots (\text{m}^{-1})$$

## Percentage Error

$R_H = 1.0974 \times 10^7 \text{ m}^{-1}$  (theoretical value of Rydberg constant)

$$\% \text{ error} = \frac{|R_H - R'_H|}{R_H} \times 100 = \frac{|1.0974 - \dots\dots\dots|}{1.0974} \times 100 = \dots\dots\dots \%$$