

### بسم الله الرحمن الرحيم



King Saud University College of Science Physics & Astronomy Dept.

PHYS 103 (GENERAL PHYSICS) LECTURE NO. 2

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### 2.0 Motion in One Dimension

- From everyday experience we recognize that motion represents a continuous change in the position of an object.
- In physics we can categorize motion into three types: *translational*, *rotational*, and *vibrational*.
- A car moving down a highway is an example of *translational* motion, the Earth's spin on its axis is an example of *rotational* motion, and the back-and-forth movement of a pendulum is an example of *vibrational* motion.
- In this and the next few chapters, we are concerned only with translational motion. (Later in the course we shall discuss rotational and vibrational motions.)



### 2.1 Position, Velocity, and Speed

- When a particle moves from its (initial) position x<sub>i</sub> to its (final) position x<sub>f</sub>; it has what we call: a displacement.
- Displacement is defined as follows:

$$\Delta x = x_f - x_i \tag{2.1}$$

There are 3 cases:

 $\Delta x > 0 \text{ or } x_f > x_i \text{ :motion to the right} \rightarrow$   $\Delta x < 0 \text{ or } x_f < x_i \text{ :motion to the left } \leftarrow$   $\Delta x = 0 \text{ or } x_f = x_i \text{ :object returned to its}$ initial position, or there was no motion.

Selecting (right) as +tive and (left) as -tive is a convention in this course and we shall stick to it all over the course.

### 2.1 : The average velocity

It is defined as particle's displacement ∆x divided by the time interval ∆t during which that displacement occurs:

$$\overline{v} = \frac{\Delta x}{\Delta t} = \frac{x_f - x_i}{\Delta t} \tag{2.2}$$

There are 3 cases:

 $\Delta x > 0 \rightarrow \overline{v} > 0$ :motion to the right  $\rightarrow$ 

 $\Delta x < 0 \rightarrow \overline{v} < 0$  :motion to the left  $\leftarrow$ 

 $\Delta x = 0 \rightarrow \overline{v} = 0$ : object returned to its

initial position, or there was no motion.

In the next slide; we show how to calculate  $\overline{\boldsymbol{\nu}}$  from charts. Take 2 points and draw a line between them and find the slope of that line. The first point (e.g. A) represents  $x_i$  (initial position) while the second point (e.g B) represents the final position or  $x_f$ .



### 2.1 : The average velocity



This grapgh is called: Position-time graph for the motion of the "particle."

- When the line is point above horizontal:  $\rightarrow \overline{v} > 0$
- When the line is point below horizontal:

 $\rightarrow \overline{v} < 0$ In the graph: A to B: + (Increasing x) A to C: + (Increasing x) A to D: - (Decreasing x) C to D: - (Decreasing x)



## 2.1 : The average Speed

- In everyday usage, the terms speed and velocity are interchangeable. In physics, however, there is a clear distinction between these two quantities.:
- The average speed of a particle, is defined as the total distance traveled divided by the total time interval required to travel that distance:

Average Speed =  $\frac{\text{Total Distance}}{\text{Total Time}}$ 

(2.3)

The SI unit of average speed is the same as the unit of average velocity: m/s. However, unlike average velocity, average speed has *no direction* and hence carries *no algebraic sign*. Average velocity (Eq. 2.2) is the *displacement* divided by the time interval, while average speed (Eq. 2.3) is the *distance* divided by the time interval.



### Example 2.1

- Find the displacement, average velocity, and average speed of the car in Figure 2.1 between positions A and F.
- **Solution:**

In this example:

$$x_{i} = x_{A} = 30 m \text{ and } x_{f} = x_{F} = -53m$$
  

$$\rightarrow \Delta x = x_{f} - x_{i} = -53 - 30 = -83m$$
  

$$t_{i} = 0s \text{ and } t_{f} = 50s$$
  

$$\therefore \Delta t = 50 - 0 = 50s$$
  

$$\therefore \overline{v} = \frac{\Delta x}{\Delta t} = \frac{-83}{50} = -1.7 \text{ m/s}$$



► For average speed: distance is 22 m (A to B) +105 m (B to F) =127 m

Average Speed = 
$$\frac{\text{Total Distance}}{\text{Total Time}} = \frac{127}{50} = 2.5 \, m \, / \, s$$



### Quiz

My Quiz			
Question 4 of 16	Point Value: 20	/ Total Points: 10 out of 160	
Match the following items:			
Item 1	G	ltem 5	
Item 3	G	Item 7	
Item 4	C	Item 8	
Answer			Finish

Click the **Ouiz** button on

### 2.1 : Interactive Flash

- In the next slide, please find an Interactive Flash. In this component you can use your mouse to discover.
- Please drag at the bottom of the grap and watch the following:
  - *There are two values: time (always +tive and increasing) and position (+ or with decreasing or increasing vlaues)*
  - 2. While dragging; Please watch for the Speed and Velocity below the graph.
  - *3. You notice that speed keeps increasing, while velocity changes in value and sign.*
  - 4. Please pay attention to velocity at the t = 375 s and after?
  - 5. We call this point in graph: turning point.
  - 6. At turning points, velocity starts changing sign (direction)

Reference: InterActaGram.com





# Interactive Quiz Interactive Quiz

My Quiz			
Question 4 of 16	Point Value: 20	/ Total Points: 10 out of 160	
Match the following items:			
Item 1	C	Item 5	
Item 2	<u> </u>	Item 6	
Item 4	С	C Item 8	
Answer			Finish

Click the **Ouiz** button on iSpring Pro toolbar to edit your quiz

### Lecture Summary

After a particle moves along the x axis from some initial position x<sub>i</sub> to some final position x<sub>f</sub>, its displacement is

$$\Delta x = x_f - x_i \tag{2.1}$$

The average velocity of a particle during some time interval is the displacement  $\Delta x$  divided by the time interval  $\Delta t$  during which that displacement occurs:

$$\overline{v} = \frac{\Delta x}{\Delta t} = \frac{x_f - x_i}{\Delta t} \tag{2.2}$$

The average speed of a particle is equal to the ratio of the total distance it travels to the total time interval during which it travels that distance:

Average Speed =  $\frac{\text{Total Distance}}{\text{Total Time}}$ 

(2.3)





Please read the attachment ....