Name	Graph	Description	Payoff	Profit	Comments
Long Forward	Payoff K K -K Short forward	Commitment to purchase commodity at some point in the future at a pre- specified price	S <sub>T</sub> - F	S <sub>T</sub> – F	<ul> <li>No premium</li> <li>Asset price contingency: Always</li> <li>Maximum Loss: -F</li> <li>Maximum Gain: Unlimited</li> </ul>
Short Forward	See above	Commitment to sell commodity at some point in the future at a pre- specified price	F - S <sub>T</sub>	F - S <sub>T</sub>	<ul> <li>No premium</li> <li>Asset price contingency: Always</li> <li>Maximum Loss: Unlimited</li> <li>Maximum Gain: F</li> </ul>
Long Call (Purchased Call)	Payoff / Profit Long Call Payoff = max(0, $P_T$ -K) Profit = max(0, $P_T$ -K)- $P_c$ $P_c$ $P_c$	Right, but not obligation, to buy a commodity at some future date	Max[0, S <sub>T</sub> – K]	Max[0, S <sub>T</sub> – K] – FV(P <sub>C</sub> )	<ul> <li>Premium paid</li> <li>Asset price contingency: S<sub>T</sub>&gt;K</li> <li>Maximum Loss: - FV(P<sub>C</sub>)</li> <li>Maximum Gain: Unlimited</li> <li>COB: Call is an Option to Buy</li> <li>"Call me up": Call purchaser benefits if price of underlying asset rises</li> </ul>
Short Call (Written Call)	Payoff / Profit Short Call $P_{e} = \frac{Profit = P_{e} \cdot max(0,P_{T} - K)}{K + P_{e}} P_{T}$ $P_{ayoff} = -max(0,P_{T} - K)$	Commitment to sell a commodity at some future date if the purchaser exercises the option	- Max[0, S <sub>T</sub> – K]	-Max[0, S <sub>T</sub> – K] + FV(P <sub>C</sub> )	<ul> <li>Premium received</li> <li>Asset price contingency: S<sub>T</sub>&gt;K</li> <li>Maximum Loss: FV(P<sub>c</sub>)</li> <li>Maximum Gain: FV(P<sub>c</sub>)</li> </ul>
Long Put (Purchased Put)	Payoff / Profit Long Put Payoff = max(0,K-P <sub>T</sub> ) Profit = max(0,K-P <sub>T</sub> )-P <sub>p</sub> $K-P_p$ $K-P_p$ $K-P_p$	Right, but not obligation, to sell a commodity at some future date	Max[0, Κ - S <sub>T</sub> ]	Max[0, K - S <sub>T</sub> ] - FV(P <sub>P</sub> )	<ul> <li>Premium paid</li> <li>Asset price contingency: K&gt;S<sub>T</sub></li> <li>Maximum Loss: - FV(P<sub>P</sub>)</li> <li>Maximum Gain: K - FV(P<sub>P</sub>)</li> <li>POS: Put is an Option to Sell</li> <li>"Put me down": Put purchaser benefits if price of underlying asset falls</li> <li>Short with respect to underlying asset but long with respect to derivative</li> </ul>

Short Put (Written Put)	Payoff'/ Profit Short Put $P_{p} = \frac{P_{p} - \max(0, K - P_{T})}{K - P_{p}}$ 0 $P_{T} = -\max(0, K - P_{T})$	Commitment to buy a commodity at some future date if the purchaser exercises the option	-Max[0, K - S <sub>T</sub> ] -Max[0, K - S <sub>T</sub> ] + FV(P <sub>P</sub> )	<ul> <li>Premium received</li> <li>Asset price contingency: K&gt;S<sub>T</sub></li> <li>Maximum Loss: -K + FV(P<sub>P</sub>)</li> <li>Maximum Gain: FV(P<sub>P</sub>)</li> <li>Long with respect to underlying asset but short with respect to derivative</li> </ul>
Floor	Payoff(\$) $500$ $Profit($)$ $0$ $47.37$ $Profit($)$ $P_{T}$	Long Position in Asset + Purchased Put		<ul> <li>Used to insure a long position against price decreases</li> <li>Profit graph is identical to that of a purchased call</li> <li>Payoff graphs can be made identical by adding a zero-coupon bond to the purchased call</li> </ul>
Сар	Payoff(\$) Profit(\$) $0$ $500$ $P_T$ $-42.37$ $(a)$ $(b)$	Short Position in Asset + Purchased Call		<ul> <li>Used to insure a short position against price increases</li> <li>Profit graph is identical to that of a purchased put</li> <li>Payoff graphs can be made identical by adding a zero-coupon bond to the purchased put</li> </ul>
Covered call writing	Payoff Profit $500$ $P_T$ $42.37$ $42.37$ $-457.63$	Long Position in Asset + Sell a Call Option	Long Index Payoff + {-max[0, S <sub>T</sub> – K] + FV(P <sub>c</sub> )}	• Graph similar to that of a written put
Covered put writing	Payoff Profit $0 \frac{500}{P_T} P_T 0 \frac{47.37}{500} P_T$	Short Position in Asset + Write a Put Option	- Long Index Payoff + {-max[0, K - S <sub>T</sub> ] + FV(P <sub>P</sub> )}	• Graph similar to that of a written call

Synthetic Forward	Profit 42.37 0 -47.37 -457.63 -505	P <sub>T</sub>		Purchase Call Option + Write Put Option with SAME Strike Price and Expiration Date		{max[0, S <sub>T</sub> - K] - FV(P <sub>C</sub> )} + {-max[0, K - S <sub>T</sub> ] + FV(P <sub>P</sub> )}	<ul> <li>Mimics long forward position, but involves premiums and uses "strike price" rather than "forward price"</li> <li>Put-call parity: Call(K,T) – Put(K,T) = PV(F<sub>0,T</sub> – K)</li> </ul>
Bull Spread	Profit $K_2 - K_1 - FV(Call(K_1, T) - Call(K_2, T))$ - FV(Call(K_1, T) - Call(K_2, T)) - FV(Call(K_1, T) - Call(K_2, T))			Purchase Call Option with Strik Price K <sub>1</sub> and Sell Call Option wi Strike Price K <sub>2</sub> , where K <sub>2</sub> >K <sub>1</sub> OR Purchase Put Option with Strik Price K <sub>1</sub> and Sell Put Option wi Strike Price K <sub>2</sub> , where K <sub>2</sub> >K <sub>1</sub>	ke ith ke ith	$ \{ \max[0, S_T - K_1] - FV(P_{C1}) \} + \\ \{ -\max[0, S_T - K_2] + FV(P_{C2}) \} $	<ul> <li>Investor speculates that stock price will rise</li> <li>Although investor gives up a portion of his profit on the purchased call, this is offset by the premium received for selling the call</li> </ul>
Bear Spread	$FV(Call(K_1,T) - Call(K_2,T))$ $K_1 - K_2 + FV(Call(K_1,T) - Call(K_2,T))$			Sell Call Option with Strike Pric and Purchase Call Option with Strike Price K <sub>2</sub> , where K <sub>2</sub> >K <sub>1</sub> OR Sell Put Option with Strike Pric and Purchase Put Option with Strike Price K <sub>2</sub> , where K <sub>2</sub> >K <sub>1</sub>	ce K <sub>1</sub>	$ \{-\max[0, S_{T} - K_{1}] + FV(P_{C1})\} + \\ \{\max[0, S_{T} - K_{2}] - FV(P_{C2})\} $	<ul> <li>Investor speculates that stock price will fall</li> <li>Graph is reflection of that of a bull spread about the horizontal axis</li> </ul>
Box Spread	Synthetic Long Forward Synthetic Short Forward	Bull Call Spread         Buy Call at K1         Sell Call at K2	Bear Put Spread Sell Put at K <sub>1</sub> Buy Put at K <sub>2</sub>	Consists of 4 Options and crea Synthetic Long Forward at one price and a synthetic short for at a different price	tes a e ward		<ul> <li>Guarantees cash flow into the future</li> <li>Purely a means of borrowing or lending money</li> <li>Costly in terms of premiums but has no stock price risk</li> </ul>
Ratio Spread				Buy m calls at strike price K <sub>1</sub> ar sell n calls at strike price K <sub>2</sub> OR Buy m puts at strike price K <sub>1</sub> ar sell n puts at strike price K <sub>2</sub>	nd		<ul> <li>Enables spreads with 0 premium</li> <li>Useful for paylater strategies</li> </ul>

Purchased Collar	Profit 14.43 $4.43$ $65$ $80$ $P_T$	Buy at-the-money Put Option with strike price K <sub>1</sub> + Sell out-of- the-money Call Option with strike price K <sub>2</sub> , where K <sub>2</sub> >K <sub>1</sub>	• Collar width: K <sub>2</sub> - K <sub>1</sub>
Written Collar		Sell at-the-money Put Option with strike price $K_1$ + Buy out-of- the-money Call Option with strike price $K_2$ , where $K_2>K_1$	
Collared Stock	Profit $     1.181                              $	Buy index + Buy at-the-money K <sub>1</sub> - strike put option + sell out-of-the- money K <sub>2</sub> strike call option, where K <sub>2</sub> >K <sub>1</sub>	<ul> <li>Purchased Put insures the index</li> <li>Written Call reduces cost of insurance</li> </ul>
Zero-cost collar	-8	Buy at-the-money Put + Sell out- of-the-money Call with the same premium	<ul> <li>For any given stock, there is an infinite number of zero-cost collars</li> <li>If you try to insure against <i>all</i> losses on the stock (including interest), then a zero-cost collar will have zero width</li> </ul>
Straddle	FV = Future value of total premiums $FV = FV$ $K - FV$ $K - FV$ $K - FV$ $K - FV$ $K + FV$	Buy a Call + Buy a Put with the same strike price, expiration time, and underlying asset	<ul> <li>This is a bet that volatility is really greater than the market assessment of volatility, as reflected in option prices</li> <li>High premium since it involves purchasing two options</li> <li>Guaranteed payoff as long as S<sub>T</sub> is different than K</li> <li>Profit =  S<sub>T</sub> - K  - FV(P<sub>c</sub>) - FV(P<sub>P</sub>)</li> </ul>

Strangle	Profit	Buy an out-of-the-money Call +	Reduces high premium cost of straddles
	$33.56 \\ 35 40 45 \\ -1.44 \\ P_T$	Buy an out-of-the money Put with the same expiration time and underlying asset	• Reduces maximum loss but also reduces maximum profit
Written Straddle	FV = Future value of total premiums Profit FV	Sell a Call + Sell a Put with the same strike price, expiration time, and underlying asset	• Bet that volatility is <i>lower</i> than the market's assessment
	-K + FV		
Butterfly Spread	Profit	Sell a K <sub>2</sub> -strike Call + Sell a K <sub>2</sub> - strike Put AND Buy out-of-the-money K <sub>3</sub> -strike	<ul> <li>Combination of a written straddle and insurance against extreme negative outcomes</li> <li>Out of the Money Put insures against extreme price decreases</li> </ul>
	-1.57	Put AND Buy out-of-the-money K <sub>1</sub> -strike Call	<ul> <li>Out of the Money Call insures against extreme price increases</li> </ul>
		$K_{1<}K_{2} < K_{3}$	
Asymmetric Butterflv	Profit (43,11.13)	$\Lambda = \frac{K_3 - K_2}{K_2 - K_1}$	
Spread	-4.87 (35, 4.87) (45, -4.87) P <sub>T</sub>	Buy $\lambda K_1$ -strike calls Buy $(1 - \lambda) K_3$ -strike calls $K_2 = \lambda K_1 + (1 - \lambda) K_3$ $K_1 < K_2 < K_3$	
Cash-and-		Buy Underlying Asset +	No Risk
carry		Short the Offsetting Forward Contract	• Payoff = $S_T$ + ( $F_{0,T} - S_T$ ) = $F_{0,T}$ • Cost of carry: $r - \delta$
Cash-and- carry arbitrage		Buy Underlying Asset + Sell it forward	• Can be created if a forward price $F_{0,T}$ is available such that $F_{0,T} > S_0 e^{(r-\delta)T}$

Reverse cash-		Cash Flow at t=0	Cash Flow at t=T	Short Underlying Asset +	• Payoff = $-S_T + (S_T - F_{0,T}) = -F_{0,T}$
and-carry	Short-tailed	S₀e <sup>-δ⊺</sup>	-S <sub>T</sub>	Long the Offsetting Forward	
	position in stock,	-		Contract	
	receiving $S_0 e^{-\delta T}$				
	Lent $S_0 e^{-\delta T}$	-S₀e⁻ <sup>δ⊺</sup>	$S_0 e^{(r-\delta)T}$		
	Long Forward	0	$S_T - F_{0,T}$		
	Total	0	$S_0 e^{(r-\delta)T} - F_{0,T}$		
Reverse cash-					• Can be created if a forward price $F_{0,T}$ is available such that
and-carry					$F_{0,T} < S_0 e^{(r-\delta)T}$
arbitrage					

If	THEN	If Volatility ↑	If Unsure about Direction of Volatility Change	If Volatility ↓
Price $\downarrow$		Buy puts	Sell underlying asset	Sell calls
Unsure about Direction of		Buy straddle	No action	Write straddle
Price Change				
Price↑		Buy calls	Buy underlying asset	Sell Puts

Reasons to hedge	Reasons NOT to hedge
1. Taxes	Transaction costs (commissions, bid-ask spread)
2. Bankruptcy and distress costs	Cost-benefit analysis may require costly expertise
3. Costly external financing	Must monitor transactions to prevent unauthorized trading
4. Increase debt capacity (amount a firm can borrow)	Tax and accounting consequences of transactions may complicate reporting
5. Managerial risk aversion	
6. Nonfinancial risk management	

Method of purchasing stock	Pay at time	Receive security at time	Payment	At time
Outright Purchase	0	0	S <sub>0</sub>	t=0
Fully-leveraged purchase	Т	0	S₀e <sup>r™</sup>	t=0
Prepaid Forward Contract	0	Т	S₀e <sup>-δ⊤</sup>	t=T
Forward Contract	Т	Т	S <sub>0</sub> e <sup>(r - δ)T</sup>	t=T

r = Continuously-compounded interest rate

 $\begin{array}{ll} \text{d interest rate} & \delta = \text{Annualized daily compounded dividend yield rate} \\ \alpha = \text{Annualized Dividend Yield: } (1 \div T) \times \ln(F_{0,T} \div S_0) \end{array}$ 

Pricing Prepaid Forward and Forward Contracts:	Prepaid Forward Contract $F^{P}_{0,T}$	Forward Contract F <sub>0,T</sub>
No Dividende	C	C o <sup>rT</sup>
NO DIVIDENDS	<b>S</b> <sub>0</sub>	5 <sub>0</sub> e
Discrete Dividends	S <sub>0</sub> - ∑PV <sub>0,t</sub> (D <sub>t)</sub>	$S_0e^{r_1} - \sum e^{r(1-t)} \times D_t$
Continuous Dividends	S₀e <sup>-δ⊺</sup>	$S_0 e^{(r-\delta)T}$
Initial Premium	Initial Premium = Price = <b>F<sup>P</sup><sub>0,T</sub></b>	Initial Premium = 0
		$Price = F_{0,T} = FV(F_{0,T}^{P})$

Forwards	Futures
Obligation to buy or sell underlying asset at specified price on expiration	Same
date	
Contracts tailored to the needs of each party	Contracts are standardized (in terms of expiration dates, size, etc.)
Not "marked to market"; settlement made on expiration date only	"Marked to market" and settled daily
Relatively illiquid	Liquid
Traded over-the-counter and handled by dealers/brokers	Exchange-traded and marked to market
Risk that one party will not fulfill obligation to buy or sell (credit risk)	Marked to market and daily settlement minimize credit risk
Price limits are not applicable	Complicated price limits