

151 Discrete Mathematics

K. Rosen, Discrete Mathematics and Its Applications, 7th edition

Chapter 1

- 1.1. Ex.1, Ex.2, Def.1, Ex.3, Ex.4, Def.2, Ex.5, Def.3, Ex.6, Def.5, Ex.7, converse, contrapositive, inverse, Def.6, Ex.10, Ex.11, precedence of logical operators.
- 1.3. Def.1, Ex.1, Def.2, Ex.2, Ex.3, Ex.4, Table 6, Table 7, Table 8, Ex.5, Ex.6, Ex.7, Ex.8.
- 1.4. Ex.1, Ex.2, Ex.3, Ex.4, Ex.5, $P(x_1, x_2, \dots, x_n)$, Def.1, Ex.8, Ex.9, Ex.10, Ex.11, Ex.13, Def.2, Ex.14, Ex.15, Ex.16, Ex.17, negating expressions, Table 2, Ex.21, Ex.22.
- 1.6. Def.1, Ex.2. Write the followings using the argument form and check if the argument is valid: Ex.3, Ex.4, Ex.5, Ex.6, Ex.7, Ex.8, Ex.9, Ex.10, Ex.11.
- 1.7. Def.1, Ex.1, Ex.2, Ex.3, Ex.4, Ex.5, Ex.6, Def.2, Ex.7, Ex.8, Ex.10, Ex.11, Ex.12, Ex.13, Ex.14, Ex.15, Ex.18.
- 1.8. Ex.1, Ex.3, Ex.4, Ex.6, Ex.7, Ex.9, Ex.10, Ex.13, Ex.17.

Chapter 2

- 2.1. Def.1, Ex.1, Ex.2, Ex.3, Ex.4, definitions for \mathbb{N} , \mathbb{Z} , etc., definitions for intervals, Def.2, Ex.6, Ex.7, Def.3, Ex.8, Ex.9, Th.1, Def.4, Ex.10, Def.5, Ex.13, Def.6, Ex.14, Ex.15, Def.8, Ex.17, Ex.18, Ex.20.
- 2.2. Def.1, Ex.1, Def.2, Ex.3, Def.3, Ex.5, Def.4, Ex.6, Def.5, Ex.9, Table 1, Def.6, Def.7, Ex.15.

Chapter 5

- 5.1. Ex.1, Ex.2, Ex.3, Ex.4, Ex.5, Ex.6, Ex.8, Ex.10, Ex.11.
- 5.2. Ex.2.
- Q.1. Let $\{a_n\}$ be a sequence defined inductively as:

$$a_1 = 1, a_2 = 2, a_{n+1} = 2a_n + a_{n-1}, \quad \forall n \geq 2.$$

Prove that $a_n \leq \left(\frac{5}{2}\right)^n$, for all $n \geq 1$.

Chapter 9

- 9.1. Ex.2, Ex.3, Def.2, Ex.4, Ex.5, Def.3, Ex.7, Ex.8, Ex.9, Def.4, Ex.10, Ex.11, Ex.12, Def.5, Ex.13, Ex.14, Ex.15, Ex.17, Ex.18, Ex.19, Def.6, Ex.20, Ex.21, Def.7, Ex.22, Th.1 (no proof).
- 9.3. Def.1, Ex.7, Ex.8, Ex.9, Ex.10.
- 9.4. Ex.1, Ex.2, Def.2.
- Q.1. If $R = \{(1, 1), (2, 1), (3, 2), (4, 3)\}$ is a relation on the set $A = \{1, 2, 3, 4\}$, find R^* .
- 9.5. Def.1, Def.2, Ex.1, Ex.2, Ex.3, Ex.4, Ex.6, Ex.7, Def.3, Ex.8, Ex.9, Th.1 (no proof), Ex.12, Ex.14.
- 9.6. Def.1, Ex.1, Ex.2, Ex.3, Ex.4, Def.2, Ex.5, Def.3, Ex.6, Ex.7, Hasse diagrams, Ex.12, Ex.13.

Chapter 10

- 10.1. All until graph models (which is not included).
- 10.2. Def.1, Def.2, Def.3, Ex.1, Th.1, Ex.3, Th.2 (no proof), Def.4, Ex.5, Ex.6, Ex.7, Def.6, Ex.9, Ex.10, Ex.11, Ex.13, Def.7, Def.8, Ex.18, removing vertices from a graph.
- 10.3 Ex.1, Def.1, Ex.8, Ex.9, Ex.10.
- 10.4. Def.1, Ex.1, Def.2, Def.3, Ex.4, Th.1 (no proof), Ex.5.
- 10.7. Def.1, Ex.1, Ex.2, Ex.3, Th.1 (no proof), Ex.4, Cor.1 (no proof), Cor.2 (no proof), Ex.5, Cor.3, Ex.6.

Chapter 11

- 11.1. All section is needed, except: Ex.5, Ex.6, Ex.7, Ex.8, Ex.9, Th.3, Th.4, Th.5, Cor.1. No proofs for Th.1 and Th.2.
- 11.2. Ex.1.
- 11.4. Def.1, Ex.1.

Chapter 12

- 12.1. Ex.1, Ex.2, Ex.3, Ex.4, Ex.5, Ex.8, Table 5, Ex.9, Ex.10, Ex.11, Ex.12, Def.1.
- 12.2. Ex.1, Ex.2, Ex.3, Def.1, only the definition of sum of products; functional completeness is not included.
- 12.3. All section, except Ex.2 and adders.
- 12.4. Ex.1, Ex.2, Ex.3, Ex.4 and all definitions up to pag. 835.