The data is obtained from exercise 85 from chapter 3 .
The manager of local Wal-Mart super store is studying the number of items purchased by customers in the evening hours. Listed below is the number of items for a sample of 30 customers.

| 15 | 8 | 6 | 9 | 9 | 4 | 18 | 10 | 10 | 12 |
| ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| 12 | 4 | 7 | 8 | 12 | 10 | 10 | 11 | 9 | 13 |
| 5 | 6 | 11 | 14 | 5 | 6 | 6 | 5 | 13 | 5 |

Construct a frequency distribution.
Range $=18-4=14$
$2^{\mathrm{K}}>\mathrm{n} \rightarrow 2^{5}>30 \rightarrow \mathrm{~K}=5$
$\mathrm{i} \geq \frac{14}{5}=2.8 \rightarrow 3$
The new rage is $3 * 5=15$

| Class | Frequency |
| :--- | :--- |
| $3.5-6.5$ | 10 |
| $6.5-9.5$ | 6 |
| $9.5-12.5$ | 9 |
| $12.5-15.5$ | 4 |
| $15.5-18.5$ | 1 |

Histogram:

Histogram


Frequency polygon:


Cumulative Frequency polygon:


Consider it as raw data:
$\operatorname{Mean}(\bar{X})=\frac{\sum X}{n}=\frac{273}{30}=9.1$

| 4 | 4 | 5 | 5 | 5 | 5 | 6 | 6 | 6 | 6 | 7 | 8 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  | 8 | 9 | 9 | 9 | 10 | 10 | 10 | 10 | 11 | 11 | 12 |
|  | 12 | 12 | 13 | 13 | 14 | 15 | 18 |  |  |  |  |

Median $\left(Q_{2}\right)=30 / 2=15,30 / 2+1=16$ or Second Quarter $\left(Q_{2}\right)=(31) * \frac{50}{100}=15.5 \rightarrow 9+0.5$ (99) $=9$

So the median $=\frac{9+9}{2}=9$
First Quarter $\left(Q_{1}\right)=(31) * \frac{25}{100}=7.75 \rightarrow 6+0.75(0)=6$
Third Quarter $\left(\mathrm{Q}_{3}\right)=(31) * \frac{75}{100}=23.25 \rightarrow 12+0.25(0)=12$

Draw a boxplot:
Compute sample mean, sample mean deviation and sample variance and sample standard deviation.


| Class | Frequency | M | FM | $\mathrm{M}-\bar{X}$ | $(\mathrm{M}-\bar{X})^{2}$ | $\mathrm{~F}(\mathrm{M}-\bar{X})^{2}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $3.5-6.5$ | 10 | 5 | 50 | -4 | 16 | 160 |
| $6.5-9.5$ | 6 | 8 | 48 | -1 | 1 | 6 |
| $9.5-12.5$ | 9 | 11 | 99 | 2 | 4 | 36 |
| $12.5-15.5$ | 4 | 14 | 56 | 5 | 25 | 100 |
| $15.5-18.5$ | 1 | 17 | 17 | 8 | 64 | 64 |
| Total |  |  | 270 |  |  | 366 |

Sample mean $=\frac{270}{30}=9$
Sample Variance $=\frac{366}{29}=12.62$
Sample Standard Deviation $=\sqrt{\frac{366}{29}}=3.55$
29/ listed below is the percent increase in sales for MG Corporation over the last 5 years. Determine the geometric mean percent increase in sales over the period.
$\begin{array}{lllll}9.4 & 13.8 & 11.7 & 11.9 & 14.7\end{array}$
$\mathrm{GM}=\sqrt[5]{(1.094)(1.138)(1.117)(1.119)(1.147)}=1.1228 \rightarrow 12.28 \%$
31/ The Consumer Price index is reported monthly by the U.S. Bureau of Labor Statistics. It reports the change in prices for market basket of goods from one period to another. The index for 1994 was 148.2, by 2007 it increased to 210.2. What was the geometric mean annual increase for the period?
$\mathrm{GM}=\sqrt[13]{\frac{210.2}{148.2}}-1=0.0272$
53/ According to Chebyshev's theorem, at least what percent of any set of observations will be within 1.8 standard deviations of the mean?
$K=1.8 \rightarrow 1-\frac{1}{K^{2}} \rightarrow 1-\frac{1}{1.8^{2}}=1-\frac{1}{3.24}=0.6913 \rightarrow 69.13 \%$
54/ The mean income of a group of a sample observations is $\$ 500$; the standard deviation is $40 \$$. According to Chebyshev's theorem, at least what percent of incomes will lie between $\$ 400$ and $\$ 600$ ?
$\bar{X}=\$ 500, \quad \mathrm{~S}=\$ 40$
$(400,600) \quad 600-500=100 \rightarrow \quad 100 / 40=2.5 \quad K=2.5$
1- $\frac{1}{K^{2}} \rightarrow 1-\frac{1}{2.5^{2}}=1-\frac{1}{6.25}=0.84 \rightarrow 84 \%$
55/ The distribution of weights of a sample of 1400 cargo containers is symmetric and bellshaped. According to Empirical Rule, what percent of weights will lie?
a/ Between $\bar{X}-2 S$ and $\bar{X}+2 S$
b/ Between $\bar{X}$ and $\bar{X}+2$ S?
0.4750

Below $\bar{X}-2 \mathrm{~S}$ ?
0.0250

